

<b>Code and Name of Course</b>	MTK 242-01-02 Linear Algebra II
<b>Type of Course</b>	Compulsory
<b>Credit of Course</b>	4 2 5
<b>ECTS Credit</b>	8
<b>Course Lectures</b>	Assoc.Prof. Feride Kuzucuoğlu, Assoc.Prof. Derya Keskin Tütüncü, Assoc.Prof. A. Çiğdem Özcan
<b>Pre-requisites</b>	MTK 241 (Linear Algebra I)
<b>Course Length</b>	1 Semester , 4 hours - 2 hours tutorial per week. Total 6 hours per week
<b>Course Content</b>	<ul style="list-style-type: none"> <li>• Cayley-Hamilton's Theorem,</li> <li>• minimal polynomial,</li> <li>• eigenvectors,</li> <li>• eigenvalues,</li> <li>• diagonalization,</li> <li>• canonical forms,</li> <li>• inner product spaces,</li> <li>• Gramm-Schmidt Orthogonalization Process,</li> <li>• adjoint, self-adjoint, positive, Hermitian Operators.</li> </ul>
<b>Course Objectives:</b>	<p>At the end of this course a student:</p> <p>I. computes the division of two polynomials and demonstrates whether a polynomial is prime or not,</p> <p>II. lists the prime factorizations of a polynomial,</p> <p>III. defines the characteristic and the minimal polynomials and predicts any applications of them,</p> <p>IV. defines eigenvalues and eigenvectors, and explains whether a matrices or a linear transformations is diagonalizable or not,</p> <p>V. lists the canonical forms of matrices</p> <p>VI. lists the properties of the inner product spaces,</p> <p>VII. constructs an orthogonal basis with Gramm-Schmidt Orthogonalization Process,</p> <p>VIII. defines adjoint, self-adjoint, positive and Hermitian operators, modifies properties known for matrices to these operators.</p>
<b>References</b>	<ul style="list-style-type: none"> <li>• C. Koç, Topics in Linear Algebra, METU, 1996.</li> <li>• K. Hoffman, R. Kunze, Linear Algebra, Prentice-Hall, 1971.</li> <li>• Other related lecture notes.</li> </ul>
<b>Main Teaching Methods</b>	Lecturing, Discussing, Recitation
<b>Assessment Methods</b>	Midterms(% 50), Final (%50).
<b>Language of Course</b>	English